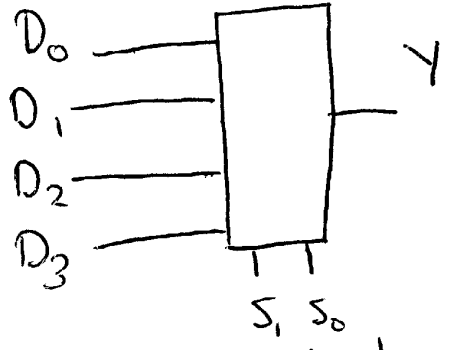


3-7
MUX

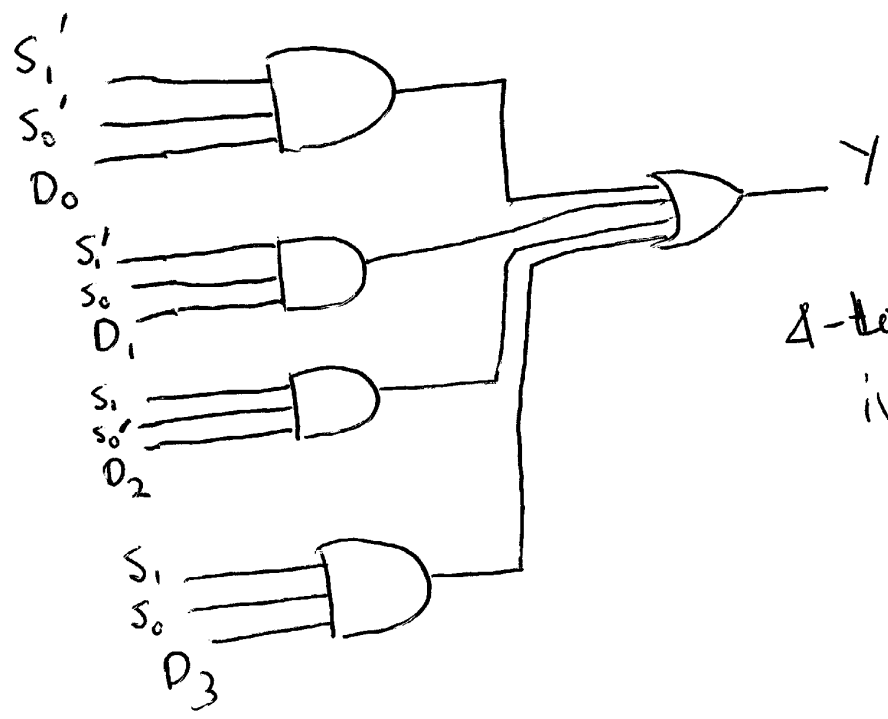
(p 119) Multiplexers

4-to-1 Line Multiplexer.

S_1	S_0	Y
0	0	D_0
0	1	D_1
1	0	D_2
1	1	D_3



select the input that is transmitted to Y.



4-to-1 Mux implementation.

MUXs can be used to implement Logic 2

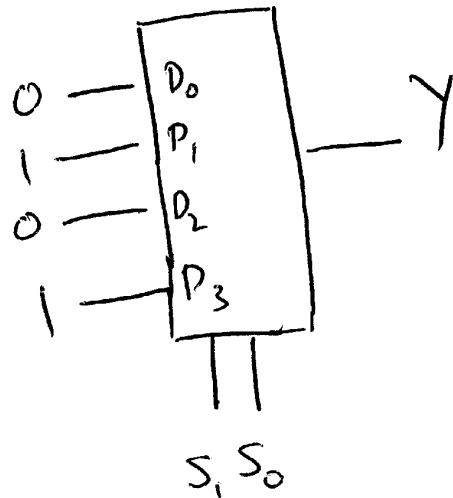
functions.

→ A 2-variable function can be implemented by a 2^2 to 1 Mux & 0,1 inputs

Eq:

S_1	S_0	Y
0	0	$D_0 = 0$
0	1	$D_1 = 1$
1	1	$D_2 = 0$
1	0	$D_3 = 1$

Solu:



→ A 3-variable function can be implemented by:

- (a) a 2^2 to 1 Mux & two inputs set to the S_0, S_1 and the other variable, ~~or~~ at $D_0 - D_3$
- (b) a 2^3 to 1 Mux & inputs set to S_0, S_1, S_2

- Eg:

A	B	C	Y
0	0	0	0
0	0	1	1
0	1	0	0
0	1	1	0
1	0	0	1
1	0	1	0
1	1	0	1
1	1	1	0

$\left. \begin{matrix} 0 \\ 1 \end{matrix} \right\} D_0 = C$
 $\left. \begin{matrix} 0 \\ 0 \end{matrix} \right\} D_1 = 0$
 $\left. \begin{matrix} 1 \\ 0 \end{matrix} \right\} D_2 = C$
 $\left. \begin{matrix} 1 \\ 1 \end{matrix} \right\} D_3 = 1$

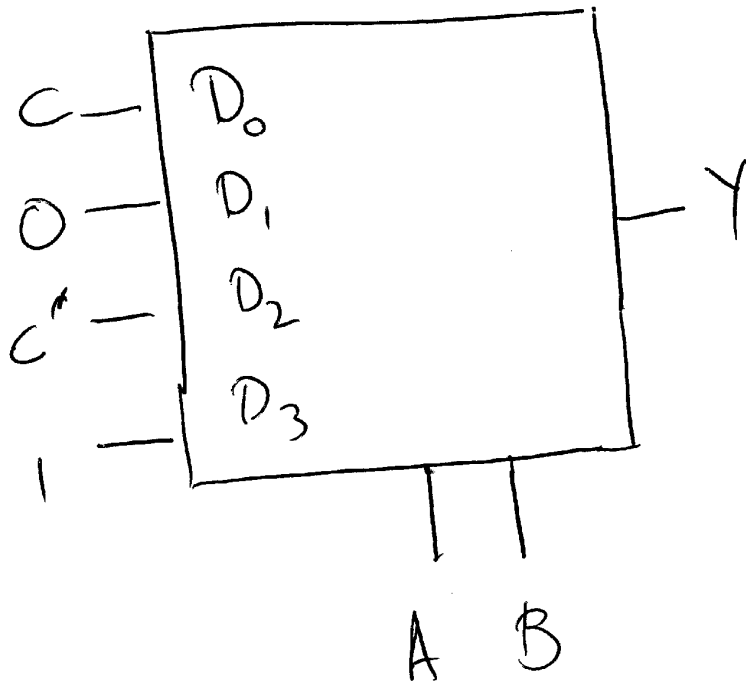
Use any 2 out of 3 as selectors.
 Use last one for input.

Eg:

For $AB = 00$, D_0 input is:
 $D_0 = Y = 0$ for $C = 0$
 $D_0 = Y = 1$ for $C = 1$ $\Rightarrow D_0 = C$

similarly (see above).

Solu

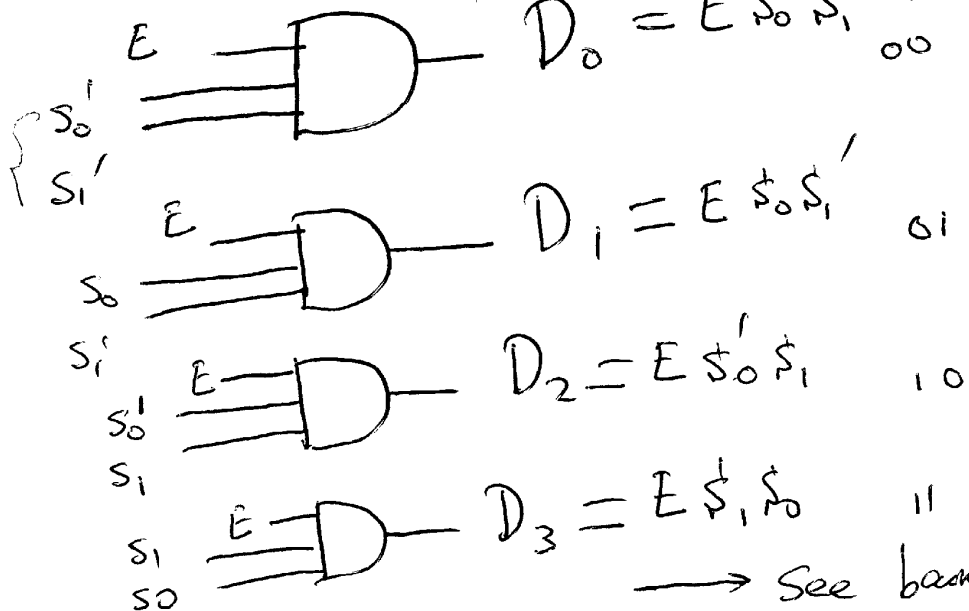


Q12d: DeMux = Decoder + Enable.

1-to-4 DeMux: Demultiplexer performs the inverse of the multiplexing operation: that is, a demultiplexer receives information from a single line and transmits it to one of 2^n possible output lines.

n Selection lines

2^n



→ See back!!

Half Adder

A half adder is an arithmetic circuit that generates the sum of two binary digits.

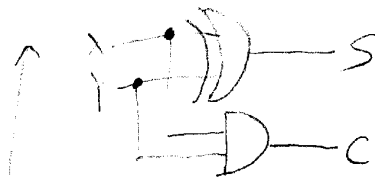
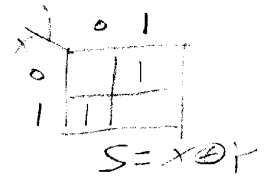
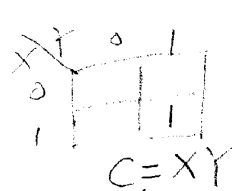


Diagram on P126.

Inputs		Outputs	
X	Y	C	S
0	0	0	0
0	1	0	1
1	0	0	1
1	1	1	0

$$S = \bar{X}Y + X\bar{Y} = X \oplus Y$$

$$C = XY$$



Full Adder

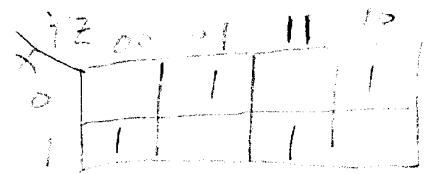
A full adder is a combinational circuit that forms the arithmetic sum of three input bits. X, Y represent two significant bits to be added -

Sum of three input bits.

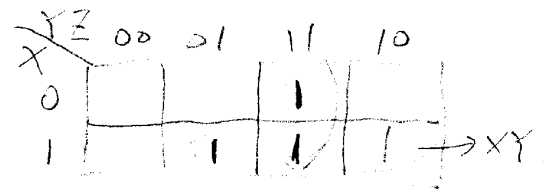
Inputs			Outputs	
X	Y	Z	C	S
0	0	0	0	0
0	0	1	0	1
0	1	0	0	1
0	1	1	1	0
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	1	1

Z represents the carry from the previous lower significant position.

Z represents the carry from the previous lower significant position.



$$C = X\bar{Y}Z + X\bar{Y}\bar{Z} + X\bar{Y}Z + XY\bar{Z} + XYZ = X \oplus Y \oplus Z$$



$$C = XY + XZ + YZ = XY + Z(X\bar{Y} + \bar{X}Y)$$

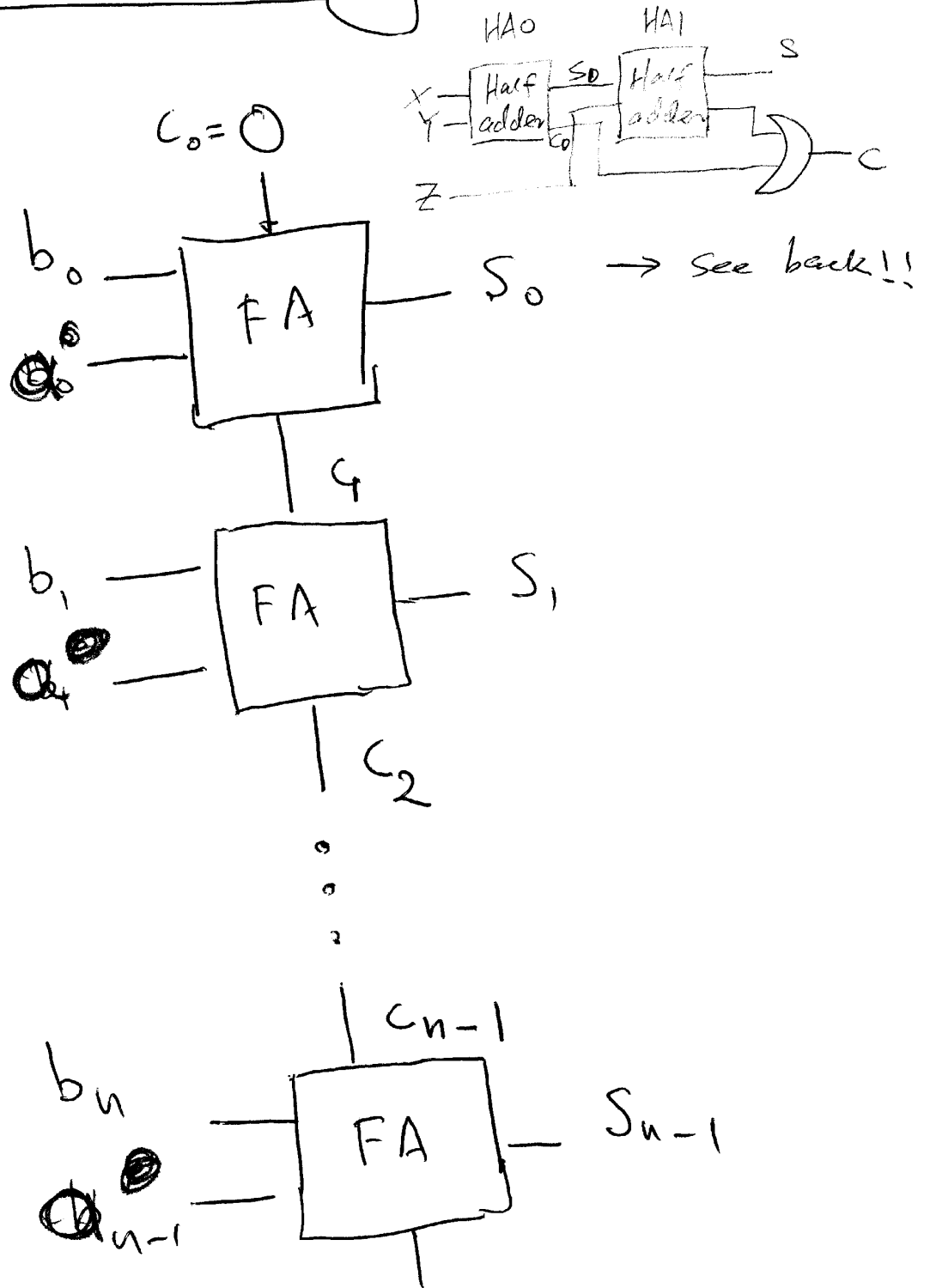
$$= XY + Z(X \oplus Y)$$

In general, $Z(x+y) \neq Z(x\bar{y} + \bar{x}y)$

Show $X \oplus Y$. P127

Two half adder \Rightarrow Full adder \rightarrow See next page.

Full-Adders can be cascaded into a Ripple carry ~~adder~~ ^{adder}. (p128) 3.1



But they are slow

